# Abstract: "Towards a robustness result for BSDEs with jumps" 

Motivated by the robustness of BSDEs with respect to the Brownian motion, see [1], we want to prove that the same holds when the BSDE is taken with respect to a square integrable, quasi-left-continuous martingale $M$. The robustness of a BSDE stands for the following property: having a suitable martingale approximation $M^{n}$ of $M$, then the solutions of the BSDEs driven by $M^{n}$ solution of the BSDE driven by $M$. In order to obtain the result, we need to overcome two intermediate problems. The first is to guarantee the existence and uniqueness of solutions of BSDEs driven by $M^{n}$. In this case, the predictable quadratic covariation of $M^{n}$ may have jumps, hence the Lebesgue-Stieltjes integral is not necessarily a continuous process. In this work we improve a general result of existence and uniqueness for BSDEs, see [2], where the Lebesgue-Stieltjes integral is with respect to a continuous, predictable and increasing process. Our improvement consists in allowing the integrator of the Lebesgue-Stieltjes integral having (suitably small) jumps, i.e. being a càdlàg, predictable and increasing process. The second problem consists in proving that the corresponding stochastic and Lebesgue-Stieltjes integrals with respect to $M^{n}$ and the predictable quadratic covariations $M^{n}$ Lebesgue-Stieltjes integral with respect to $M$ and the predictable quadratic covariation $M$ respectively. Once this second obstacle is overcome, we could proceed to proving the desired result. As a byproduct of this result, the convergence of the Euler scheme for BSDEs is obtained, where $M^{n}$ of $M$.

## References

[1] P. Briand, B. Delyon, J. Memin, On the robustness of backward stochastic differential equations, Stochastic Processes and Applications 97 (2002) 229-253
[2] N. El Karoui, S-J Huang, A general result of existence and uniqueness of backward stochastic differential equations, Backward stochastic differential equations (Paris, 19951996), 2736, Pitman Res. Notes Math. Ser., 364, Longman, Harlow, 1997

